#### International Credit Supply Shocks

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\*The views expressed in this paper do not necessarily reflect the position of the Bank of England.

### Capital inflows associated with expansions and asset price booms, but not all countries affected equally



# Countries differ in important dimensions, and the EMs vs. AEs divide may not be whole story



# This paper

- ► Focuses on one particular shock: international credit supply
  - A push shock that is expansionary, both in our model and in the data
- Theory: sets up a open economy model with housing and collateralized borrowing in foreign or domestic currency and international financial intermediation
  - International credit supply shock brought about by changes in leverage constraint of global banks
  - Possible amplification role for both house prices and exchange rates
- Empirics: quarterly panel VAR model for more than 50 countries
  - Shock identified with changes in leverage of US broker-dealers
  - Study trasmission and relative importance of this shock for the typical economy
  - Investigate differences in country countries' responses relative to characteristics we can pin in both the model and the data

# **Main Results**

- ► Model:
  - International credit supply shock is expansionary
  - Real exchange rate appreciate
  - If constraint binds, house prices increase (and yields decline) and amplify initial shock
  - Transmission stronger the higher the LTV ratio and the share of FX liabilities
- PVAR:
  - Shock is expansionary like in the model, and has sizable impact on the typical economy
  - Shock explains a significant fraction of macroeconomic and asset price variance
  - Heterogeneity *associated* with share of foreign currency liabilities and characteristics of the housing market
- Important implication: LTV ratios and FX shares, which are related to macro-prudential policy, are linked to final outcomes

# **Related Literature**

- Global financial cycle and drivers of leverage:
  - Cetorelli and Goldberg (2011, 2012); Rey (2013, 2016); Bruno and Shin (2015); Dedola, Rivolta, and Stracca (2015); Forbes, Reinhart, and Wieladek (2016); Aoki, Benigno, and Kiyotaki (2016); Boz and Mendoza (2014).
- House prices and capital flows into the United States
  - Aizenman and Jinjarak (2009); Gete (2009); Bernanke (2010); Justiniano, Primiceri and Tambalotti (2014); Favilukis, Ludvigson and Van Nieuwerburgh (2017); Ferrero (2015).
- Sensitivity of consumption to asset price and credit shocks
  - Jappelli and Pagano (1989); Almeida, Campello, and Liu (2006); Calza, Monacelli, and Stracca (2014); Berger, Guerrieri, Lorenzoni, and Vavra (2016); Mian, Sufi, and Verner (2016).

## Outline

- Model
- Empirics
- Conclusions

# Model

### **Overview of the Model**

- > Two-period, two-country, two-good endowment economy with no uncertainty
- Impatient Home households ( $i \in [0, n]$ )
  - Borrow (in domestic of foreign currency) to finance housing and non-housing consumption, subject to collateral constraint
- Patient Foreign households  $(i \in (n, 1])$ 
  - · Save via deposits and equity in financial intermediaries
- Global financial intermediaries
  - Channel funds from lenders to borrowers
  - Fixed fraction of lending denominated in local currency
  - Subject to leverage constraint (capital requirement)

### Households

Home country (starts with zero initial credit)

 $\max_{\{c_1,c_2,h_1,f\}} u(c_1) + \beta u(c_2) + v(h_1)$ 

with  $\beta \in (0,1)$  and  $h_0$  given, subject to

$$c_1 + qh_1 = p_{H1}y + qh_0 + b + s_1f$$
  

$$c_2 = p_{H2}y - R^bb - s_2Rf$$

where

$$c_t \equiv \frac{c_{Ht}^{\alpha} c_{Ft}^{1-\alpha}}{\alpha^{\alpha} (1-\alpha)^{1-\alpha}}$$

Collateral constraint

 $b + s_1 f \le \theta q h_1$ 

#### Households

• Foreign country  $(1 > \beta^* > \beta)$ 

 $\max_{\{c_1^*, c_2^*, d, e\}} u(c_1^*) + \beta^* u(c_2^*)$ 

subject to

$$c_1^* + d + e + \psi(e) = p_{F1}^* y^*$$
  
 $c_2^* = p_{F2}^* y^* + R^d d + R^e e + \Pi$ 

with  $\psi'$ ,  $\psi'' > 0$ , and

$$c^* = rac{c_H^{*lpha^*} c_F^{*1-lpha^*}}{lpha^{*lpha^*} (1-lpha^*)^{1-lpha^*}}$$

# **Global Financial Intermediaries**

Balance sheet

| Assets  | Liabilities           |          |   |
|---|-----------------------|----------|---|
| Loans in Home currency<br>Loans in Foreign currency | b/s <sub>1</sub><br>f | Deposits | d |
|   |                       | Equity   | е |

Profits

$$\Pi = Rf + \frac{R^b b}{s_2} - R^d d - R^e e - \phi\left(\frac{b}{s_1}\right)$$

where  $\phi(\cdot)$  is cost of swapping loans in Foreign currency (with  $\phi', \; \phi'' > 0)$ 

Leverage constraint (capital requirement)

$$e \ge \boldsymbol{\chi}\left(\frac{b}{s_1} + f\right)$$

# Equilibrium: Analytical Characterization

- Assume  $\alpha = 1 (1 \lambda)n$  and  $\alpha^* = n\lambda$ 
  - $\lambda \in (0,1)$  measures degree of openness
  - Take limit for  $n \rightarrow 0 \Rightarrow$  Home becomes small open economy
- Abstract from intermediaries portfolio problem
  - Define  $\eta \equiv b/(s_1 f) \Rightarrow 1 + \eta =$  Inverse share of foreign currency liabilities
  - Take  $\eta$  as parameter
- All households are risk-neutral and housing (land) is in fixed supply
  - $u'(c) = \bar{c} > 0$  and  $h_0 = h_1 = 1$
- Then, we can solve analytically for
  - Terms of trade from goods market equilibrium ( $\Rightarrow$  Real exchange rate)
  - Credit demand and credit supply

## **Summary of Equilibrium Conditions**

Credit Supply

$$R = \frac{1 + \chi \psi'[\chi(1+\eta)f]}{\beta^*} + \frac{\eta \phi'(\eta f)}{1+\eta}$$

Credit Demand

$$R = \begin{cases} \frac{1}{\beta} \frac{s_1}{s_2} & \text{if } s_1(1+\eta)f < \theta q \\\\ \frac{1}{\beta} \frac{s_1}{s_2} \left[ \frac{\kappa}{s_1(1+\eta)f} - \frac{1-\theta}{\theta} \right] & \text{if } s_1(1+\eta)f = \theta q \end{cases}$$

Real Exchange Rate

$$s_1 = \left[\frac{\lambda y}{\lambda y^* + (1 - \lambda)(1 + \eta)f}\right]^{1 - \lambda} \qquad s_2 = \left[\frac{\lambda y}{\lambda y^* - (1 - \lambda)R(1 + \eta)f}\right]^{1 - \lambda}$$

#### **Parameters**

| Parameter | Description                            | Value |
|-----------|--|-------|
| β         | Country H discount factor              | 0.9   |
| $\beta^*$ | Country F discount factor              | 0.99  |
| κ         | Normalized marginal utility of housing | 0.85  |
| λ         | Degree of openness                     | 0.79  |
| θ         | LTV ratio                              | 0.92  |
| η         | Share of foreign debt                  | 0.43  |
| χ         | Capital requirement                    | 0.1   |
| $y = y^*$ | Endowments                             | 1     |

- Pick adjustment cost parameters to target
  - Interest rate on credit
  - Equity premium

### **Credit Market Equilibrium**



### We assume economy is constrained at point B



# International credit supply shock in the model ( $\chi \downarrow$ ):



## International credit supply shock in the Model:

- ▶ In response to reduction of equity requirement on global banks ( $\chi \downarrow$ )
  - Home country experiences credit inflow and lending rate declines ( $f \uparrow$ ,  $R \downarrow$ )
  - Real exchange rate appreciates (s<sub>1</sub> ↓)
  - House prices increase (if borrowing constraint is binding)  $(q \uparrow)$
  - Consumptions expands (c<sub>1</sub> ↑)
- Role of asset prices
  - + **Collateral valuation effect:** With binding borrowing constraint, higher house prices (and appreciated real exchange rate) amplify boom
  - + **Endowment valuation effect:** Home agents' endowment worth more because of real exchange rate appreciation
  - Debt valuation effect: Home agents' borrowing in foreign currency worth less because of real exchange rate appreciation

# **Empirics**

### **PVAR Model**

- Objective: Study transmission, relative importance and differential incidence of international credit supply
- VAR for country *i* is

$$X_{it} = a_i + b_i t + c_i t^2 + F_{1i} X_{i,t-1} + u_{it},$$

where

$$X_{it} = \begin{bmatrix} LEV_t & KF_{it} & C_{it} & HP_{it} & RER_{it} & CA_{it}/Y_{it} \end{bmatrix}$$

- All variables are in real terms and in levels
- ▶ MG estimation following Pesaran and Smith (1995) and Pesaran (2006).

### Variables and Data

- Macro variables: private consumption and current account to GDP
- Asset prices: rouse prices and real exchange rate vis-a-vis the US dollar
  - Sample: 57 countries with quarterly house price series between 1977 and 2012 (Source Cesa-Bianchi, Cespedes, and Rebucci, 2015) Data Sources
- International credit: total claims (all instruments, to financial and non-financial sectors) of BIS reporting banks on country i

$$KF_{it} = \sum_{j=1(j\neq i)}^{N} KF_{ij,t}$$

LEV<sub>t</sub> is leverage of US broker-dealers from the flows of funds

• Shock to  $LEV_t \equiv$  International credit supply shock

## Four examples of international credit series



- Important role of banks in international financial intermediation in the run up to the global financial crisis
  - Well correlated with measures of global liquidity-Bruno and Shin, (2015) and Cesa-Bianchi, Cespedes, and Rebucci (2015).

### **Determinants of Leverage**

 $LEV_t = \alpha + \beta x_t + \varepsilon_t$ 



# Identification of push shock that shifts international supply of credit in the data

- 1. We use shocks to  $LEV_t$
- 2. Changes in  $LEV_t$  shift global supply of cross-border bank credit
  - Bruno and Shin (2014)
  - Consistent with shock to  $\chi$  in our theoretical model
- 3. Arguably exogenous to conditions in individual country i
  - Not driven by country-specific "pull" factors
  - Drop US from our sample
- 4. Is endogenous to global conditions and we can control for that  $\boldsymbol{i}$
- 5. Implementation with country by country Choleski decomposition and  $LEV_t$  order first (robust to using  $LEV_t$  as instrument)

# Tasmission consistent with model and the stylized facts of boom bust in capital flows



# The shock explains fraction of variance larger than a US monetary policy shock



### Robustness to controlling for global factors in LEV

- Small open economy assumption rules out local factors can drive LEV<sub>t</sub>
  - No single country can affect leverage of global banks
- ▶ But *LEV<sub>t</sub>* could be affected by globally synchronized factors
- Synchronized shocks should affect world GDP
  - Augment vector of endogenous variables with world GDP

 $X_{it} = \begin{bmatrix} Y_t^{w} & LEV_t & KF_{it} & C_{it} & HP_{it} & RER_{it} & CA_{it}/Y_{it} \end{bmatrix}$ 

Shock to leverage of US broker-dealers still identified with Choleski

# **IRFs to Leverage Shock (Robustness)**



# Variance Decomposition (Robustness)



# **Understanding Cross-Country Heterogeneity**

- Conjecture: Country responses depend on
  - Share foreign currency liabilities  $1/(1+\eta)$
  - Maximum LTV limit  $\theta$

for  $x = \{c_1, q, s_1\}$ 

- Derive sensitivity of response of endogenous variable to  $\eta$  and  $\theta$ 

$$\frac{\partial^2 x}{\partial \chi \partial \eta}$$
 and  $\frac{\partial^2 x}{\partial \chi \partial \theta}$ 

- Compare theoretical predictions with data
  - Scatter plot of peak IRFs of  $C_i$ ,  $HP_i$ , and  $RER_i$  to  $e_t^{LEV}$  vs.  $\theta_i$  and  $\eta_i$  in the data

# **LTV** Ratios

- Prediction 1: A larger LTV ratio (higher θ) implies a higher sensitivity of C<sub>i</sub>, HP<sub>i</sub>, and RER<sub>i</sub> to shocks to χ
  - If constraint binds, higher  $\theta$  leads to higher house price response, and hence larger collateral effect and amplification
  - Higher  $\theta$  leads to higher credit and demand and hence larger real exchange rate response



### **FX Shares**

- Prediction 2: A larger share of foreign currency debt (lower η) may imply a higher sensitivity of C<sub>i</sub>, HP<sub>i</sub>, and RER<sub>i</sub> to shocks to χ
  - Lower  $\eta$  implies larger collateral valuation and debt valuation effects
  - If collateral effect dominates valuation effect, higher  $\eta$  leads to higher credit and demand, and hence larger real exchange rate response, potentially amplifying the initial credit impulse



## Conclusions

- ► International credit supply shock ⇒ Boom in receiving economy in the model and in the data
- ► Theory: Source and trasmission of international credit supply shocks ⇒ Variations of capital requirements that shift credit supply outward
  - Credit expands, lending rates and housing yields decline, exchange rate appreciates and consumption increases
  - House prices and exchange rates can amplify initial impulse via collateral constraint
  - The more so the higher the max LTV and share of FX liabilities
- Empirics: Identified shock to US broker-dealers' leverage
  - Increases cross-border credit and a domestic boom
  - Shock explains a significant share of variance
  - LTV ratios and FX shares associated with peak responses of consumption, house prices and exchange rates
  - Macro-prudential policy could target them

# Appendix

### **Data Sources: Countries**

- 24 Advanced Economies: Australia, Austria, Belgium, Canada, Denmark, Finland, France, Germany, Greece, Iceland, Ireland, Italy, Japan, Luxembourg, Malta, Netherlands, New Zealand, Norway, Portugal, Spain, Sweden, Switzerland, UK, and US
- 33 Emerging Economies: Argentina, Brazil, Bulgaria, Chile, China, Colombia, Croatia, Czech Republic, Estonia, Hong Kong, Hungary, India, Indonesia, Israel, Korea, Latvia, Lithuania, Malaysia, Mexico, Morocco, Peru, Philippines, Poland, Russia, Serbia, Singapore, Slovakia, Slovenia, South Africa, Taiwan, Thailand, Ukraine, and Uruguay
- Sample: 1970:Q1–2012:Q4 (subject to data availability)

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## **Data Sources: Quantities**

- Cross-border banking flows. Foreign claims (all instruments, in all currencies, locational by residence) of all BIS reporting banks vis-à-vis all sectors deflated by US consumer price inflation. Source: BIS.
- ▶ GDP. Real index. Source: OECD, IMF IFS, Bloomberg.
- Consumption. Real private final consumption index. Source: OECD, IMF, IFS, Bloomberg.
- Current account to GDP ratio. Current account balance divided by nominal GDP. Source: OECD, IMF IFS, Bloomberg.

# **Data Sources: Prices**

- ► House prices. Nominal house prices deflated by consumer price inflation. Source: Cesa-Bianchi et al (2015, JMCB)
- Short-term interest rates. Short-term nominal market rates. A real ex-post interest rate is obtained by subtracting consumer price inflation. Source: OECD, IMF, IFS, Bloomberg.
- Consumer prices. Consumer price index. Source: OECD, IMF IFS, Bloomberg.
- Equity prices. Equity price index deflated by consumer price inflation. Source: OECD, IMF IFS, Bloomberg.
- Exchange rate vis-à-vis US dollar. US dollars per unit of domestic currency. A real exchange rate is obtained with US and domestic consumer price inflation. Source: Datastream.
- Real effective exchange rate. Index (such that a decline of the index is a depreciation). Source: IMF IFS, BIS, Bloomberg.

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### Cross-Border Credit: Banks vs. Non-Banks



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### Boom-Bust Cycles in Cross-Border Credit

- Event study (Mendoza and Terrones, 2008):
- Boom (Bust) = At least 3 consecutive years of  $\Delta \ln KF_{it} > 0$  (< 0)
- ▶ 134 boom, 81 bust, and 50 boom-bust episodes
- Observe economy's behavior around boom-bust cycles' peak

### **Boom-Bust Cycles in Cross-Border Credit**



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# **Event Study: Summary Statistics**

| Mean Across Episodes |       |       |        |          |        |       |   |           |       |       |  |
|----------------------|-------|-------|--------|----------|--------|-------|---|-----------|-------|-------|--|
|                      |       | Boom  |        |          | Bust   |       |   | Boom-bust |       |       |  |
|                      | ALL   | AE    | EM     | ALL      | AE     | EM    |   | ALL       | AE    | EM    |  |
| Number               | 2.4   | 2.5   | 2.3    | 1.4      | 1.1    | 1.6   |   | 0.9       | 0.8   | 0.9   |  |
| Duration             | 7.3   | 8.8   | 6.1    | 4.4      | 3.7    | 4.8   |   | 12.7      | 13.4  | 12.4  |  |
| Max                  | 32.6  | 28.5  | 35.9   | -4.2     | -4.6   | -4.1  |   | 36.3      | 29.5  | 40.5  |  |
| Min                  | 5.0   | 3.7   | 5.9    | -20.4    | -17.5  | -21.9 | - | 21.8      | -19.2 | -23.5 |  |
| Amplitude            | 131.6 | 130.1 | 132.8  | -53.2    | -36.9  | -61.3 | 1 | .03.5     | 115.7 | 96.0  |  |
|                      |       |       | Median | Across E | pisode | s     |   |           |       |       |  |
|                      |       | Boom  |        | Bust     |        |       |   | Boom-bust |       |       |  |
|                      | ALL   | AE    | EM     | ALL      | AE     | EM    |   | ALL       | AE    | EM    |  |
| Number               | 2.0   | 2.0   | 2.0    | 1.0      | 1.0    | 2.0   |   | 1.0       | 1.0   | 1.0   |  |
| Duration             | 6.0   | 8.0   | 5.0    | 4.0      | 3.0    | 4.0   |   | 12.0      | 13.0  | 12.0  |  |
| Max                  | 28.5  | 26.0  | 31.0   | -3.0     | -3.0   | -3.0  |   | 29.0      | 27.0  | 31.0  |  |
| Min                  | 3.0   | 2.0   | 4.0    | -18.0    | -15.0  | -19.0 | - | 19.0      | -18.0 | -20.0 |  |
| Amplitude            | 105.5 | 121.0 | 84.0   | -42.0    | -30.0  | -51.5 |   | 80.5      | 106.0 | 39.0  |  |

NOTE: Number is number of episodes; Duration is length of episodes in years; Max and Min are maximum and minimum growth rate of cross-border credit during episode, respectively; Amplitude is cumulative sum of growth rate of cross-border credit over episode.

### **US Broker-Dealers Leverage**



Source: US Flow of Funds

### **Alternative Identification**

Block exogenous VAR (abstracting from constant and time trend)

$$\begin{bmatrix} LEV_t \\ x_{i,t} \end{bmatrix} = \begin{bmatrix} F_{11,i} & 0 \\ F_{21,i} & F_{22,i} \end{bmatrix} \begin{bmatrix} LEV_{t-1} \\ x_{i,t-1} \end{bmatrix} + \begin{bmatrix} B_{11,i} & 0 \\ B_{21,i} & B_{22,i} \end{bmatrix} \begin{bmatrix} e_t^{LEV} \\ e_t^x \\ e_{i,t}^x \end{bmatrix}$$

- Can still achieve identification with Choleski decomposition
- Robustness
  - "Clean" leverage of variation due to world GDP

$$LEV_{t} = F_{11}LEV_{t-1} + \beta GDP_{t}^{w} + u_{t}^{LEV}$$
$$x_{i,t} = F_{21,i}LEV_{t-1} + F_{22,i}x_{i,t-1} + u_{i,i}^{x}$$

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# Alternative Identification: IRFs to Leverage Shock



# **Alternative Identification: Variance Decomposition**



# **Alternative Identification: Robustness**



## Alternative Identification: Robustness FEVD

