

Persuading Multiple Audiences: An Information Design Approach to Banking Regulation

Nicolas Inostroza

Rotman School of Management, University of Toronto

October 16, 2020

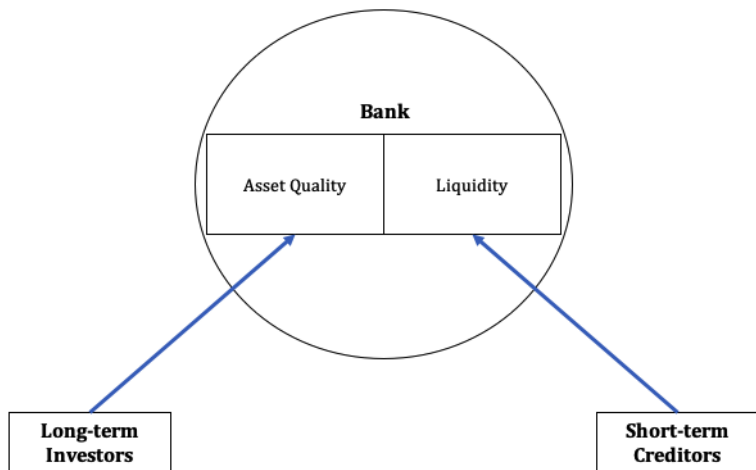
- **Stress Tests** and **Asset Quality Reviews**
 - ▶ Prominent after 2007-2008 financial crisis
 - ▶ Examination Process + Disclosure + Recapitalization
- **Benefits:** Discipline, Provide credible Information about Losses, etc
- **Costs:** Destroy risk sharing, over-reaction public, gaming, etc
- What's the optimal degree of transparency if PM wants to aid a sifi under distress?
- **This paper:** Information disclosure as *regulatory tool* when public funds limited

Complexity:

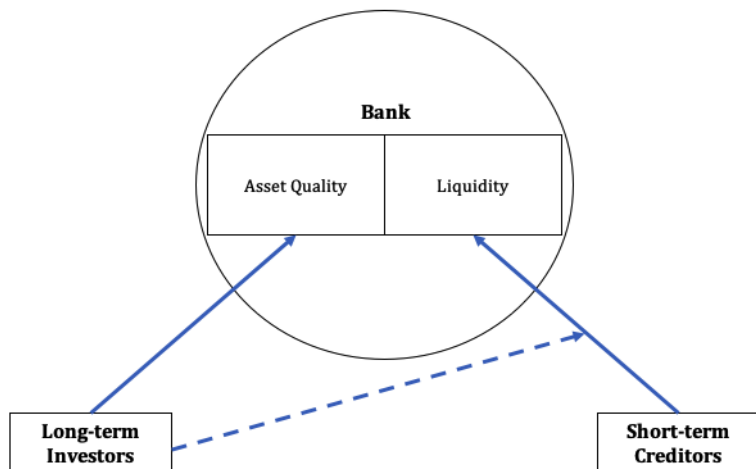
- Many **audiences**
 - ▶ Long-term Investors
 - ▶ Short-term Creditors
 - ▶ Speculators
 - ▶ Insurance companies
 - ▶ Taxpayers
 - ▶ ...

- Many **variables**
 - ▶ Asset quality (e.g., NPL)
 - ▶ Liquidity
 - ▶ Exposure to other sifi
 - ▶ ...

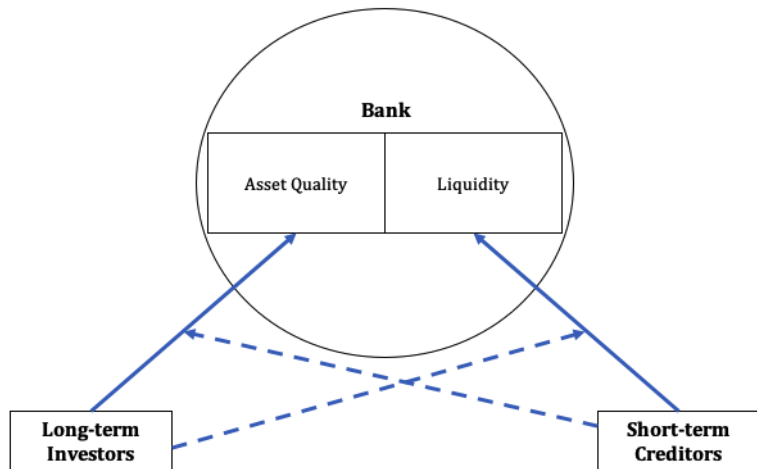
Motivation



Motivation



Motivation



- Transparency
 - ▶ **High-quality assets** → Unique passing grade (**Opaque**)
 - ▶ **Poor-quality assets** → Multiple failing grades (**More Transparent**)
- Recapitalizations
 - ▶ Key to effectiveness of information disclosure. Without: Disclosures may **backfire**
 - ▶ Undermine effectiveness of PM's Emergency Lending Mechanisms

- **Financial Regulation and Stress Test Design:** Bouvard et al. (2015), Faria-e-Castro et al (2016), Cong et al (2016); Goldstein and Leitner (2018), Orlov et al (2018), Goldstein and Yang (2018), Quigley & Walther (2019), Leitner & Williams (2019), Basak & Zhou (2019), Inostroza and Pavan (2019),...
[Multiple audiences and multi-dimensional fundamentals. Interaction: disclosure and regulatory policies.](#)
- **Security Design:** Myers & Majluf (1984), Nachman & Noe (1994), ... , Daley et al (2018), Yang (2018), Szydlowski (2018), Malenko & Tsoy (2019), Azarmsa & Cong (2019)...
[Interplay information design & security design \(endogenous probability of default\).](#)
- **Optimal Interventions w Endogenous Participation Constraints.** Philippon & Skreta (2012), Tirole (2012), Fuchs & Skrzypacz (2015).
[Add Information Design \(Ex-ante and Interim\)](#)
- **Persuasion and Information design:** Myerson (1986), ..., Calzolari and Pavan (2006, Kamenica and Gentzkow (2011), Gentzkow & Kamenica (2015), Ely (2016), Bergemann and Morris (2017), Dworzak & Martini (2018), Li et al (2020), Doval & Ely (2019), Dworzac & Kolotilin (2019), Morris et al (2020) .
[Multiple audiences with different objectives and multi-dimensional state space.](#)

- Model
- Stress Testing and Recapitalizations
- Emergency Lending Mechanisms
- Conclusions

Market Participants:

- Bank
- Long-term Investors
- Short-term Creditors
- Policy maker

Gradual Resolution of Uncertainty

- $t \in \{1, 2, 3\}$

- **Period 1**

- ▶ Asset profitability $y \in \mathbb{R}_+$
 - ★ drawn from F^y
 - ★ pays at $t = 3$
- ▶ Bank observes signal $\theta \in \{L, H\}$ about y
 - ★ F_θ is posterior given θ

$$F_H \succeq_{MLRP} F_L$$

- ▶ **Bank** can sell claims on its asset to long-term investors

$$s(y) \in [0, y], \quad \forall y$$

- ▶ Long-term investors pay P to bank

• Period 2

- ▶ Short-term creditors: $i \in [0, 1]$, each owns claim of 1

$$a_i = \begin{cases} 1 & \text{withdraw early at } t=2 \\ 0 & \text{rollover until } t=3 \end{cases}$$

- ▶ $A \in [0, 1]$: fraction of early withdrawals.
- ▶ Liquid funds $\omega \sim F^\omega$ on $[0, 1]$
- ▶ Liquidity Position: $\omega + P$
- ▶ **Bank defaults if**

$$A > \omega + P$$

- ▶ Adversarial Selection

$$\mathbb{E}(u_{\text{Run}}(\omega, P, A = 1)) \geq 0 \Rightarrow A^*(P) = 1.$$

Policy-maker

- At $t = 1$

- ▶ Asset quality review $\Gamma^y = \{M^y, \pi^y\}$

$$\pi^y : Y \rightarrow \Delta(M^y)$$

- ▶ Recapitalization $\mathcal{R}(m^y)$

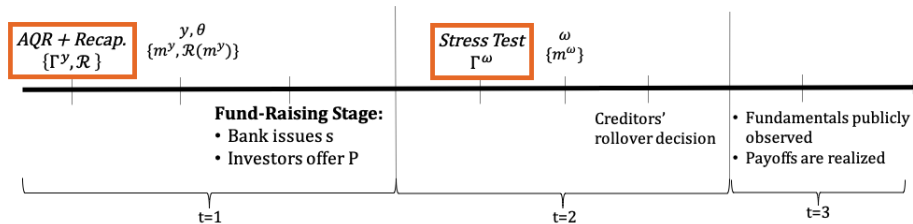
$$\mathcal{R} : M^y \rightarrow \mathbb{R}_+$$

- At $t = 2$,

- ▶ Stress Test $\Gamma^\omega = \{M^\omega, \pi^\omega\}$:

$$\pi^\omega : \Omega \rightarrow \Delta(M^\omega)$$

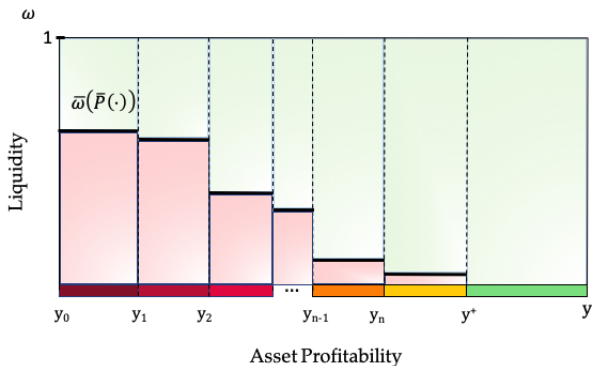
Timing



- Model
- **Stress Testing and Recapitalizations**
- Emergency Lending Mechanisms
- Conclusions

Comprehensive Assessment

Theorem 1. The Optimal Comprehensive Assessment $\Psi = (\Gamma^y, \mathcal{R}, \Gamma^\omega)$ has monotone partitional structure:



Asset quality review Γ^y

- Each score m^y induces $\mathbb{E}(y|m^y)$
- $\Gamma^y = \{M^y, \pi^y\}$ induces distribution, G , of $\mathbb{E}(y|m^y)$
- Blackwell Thm implies PM's problem:

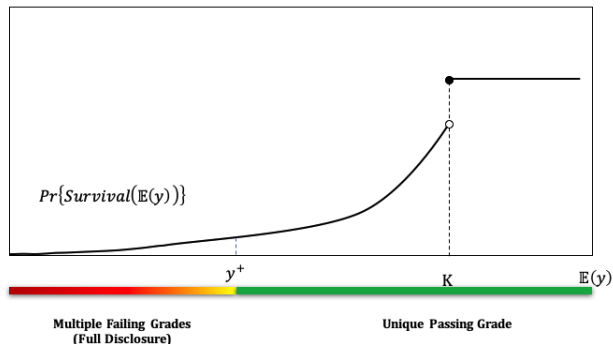
$$\begin{aligned} \max_G & \int_0^\infty \mathbb{P}\{\text{Survival}(\tau)\} G(d\tau) \\ \text{s.t: } & F^y \succeq_{MPS} G \end{aligned}$$

- Solution: Monotone Partitional Structure
- Duality arguments

(Proof Thm 1)

Driving Forces

- Amplification mechanism with low quality assets
 - ▶ $\uparrow \text{quality} \Rightarrow \uparrow P \Rightarrow \uparrow \mathbb{P} \{ \text{survive} \} \Rightarrow \uparrow P \Rightarrow \dots$



- Flannery, Hirtle and Kovner (2017) and Ahnert et al. (2019) find US STs more informative for banks with poorer balance sheets.

Need of Recapitalizations

- Banks (residual) private information θ induces separation incentives during fund-raising stage (**Lemons Problem**)
- Absence of disclosures: **threat of runs** imposes **discipline** during fund-raising stage \Rightarrow banks raise **precautionary funds**
- With **Stress Tests**: $\mathbb{P}\{\text{survival}\}$ goes up \Rightarrow exacerbates incentives to signal by exposing to rollover risk.
- **Recapitalizations** bring **discipline** back. PM threats with forbidding dividends if precautionary funds are not raised.

- Model
- Stress Testing and Recapitalizations
- Recapitalizations
- **Emergency Lending Mechanism**
- Conclusions

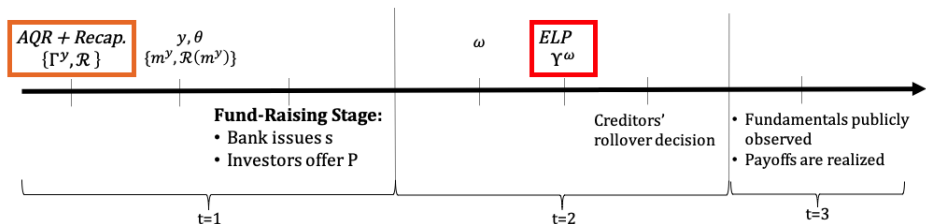
- Information Disclosure with Multiple Audiences and Multi-Dimensional Fundamentals
- Endogenous Interaction of Multiple Audiences
 - ▶ High-quality assets: (Opaque) Single passing grade
 - ▶ Low-quality assets: (More transparent) Multiple failing grades
- Recapitalizations:
 - ▶ Key to effectiveness of Disclosure Policies
 - ▶ Undermine effectiveness of PM's Emergency Lending Programs
- Public + Private Sector Interventions: Substitutes

THANK YOU

Emergency Lending: Screening and Persuasion

- **Goal:** Interplay between **Info Disclosure** & PM's role as **LOLR**
- Emphasis on Urgency of Events
 - ▶ PM can't conduct Liquidity ST in period 2
- PM may use **public funds** but to purchase securities under a *budget balance* constraint (Bagehot principle)
- Room for information transmission → **Emergency Lending Mechanism:**
 - ▶ Asks bank to self-report private information ω
 - ▶ Provides liquidity by **purchasing assets** and a **public disclosure**

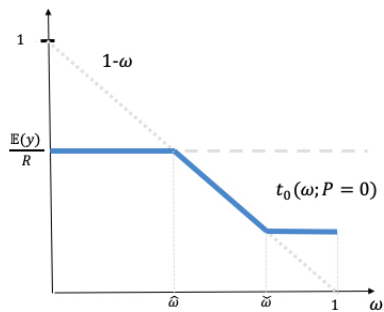
Timing



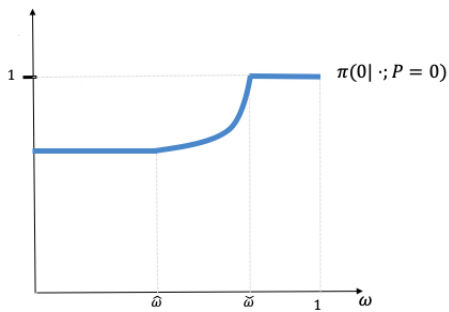
Designing Emergency Lending Mechanism

- Conflict: **Credibility** and **Incentive Compatibility**.
- Optimal mechanism assigns stochastic pass/fail grades. Conditional on passing, liquidity is provided
- Liquidity types passed with **lower probability** (illiquid), are compensated with **better prices** for assets (smaller discounts).

Optimal Emergency Lending Mechanism



Transfers

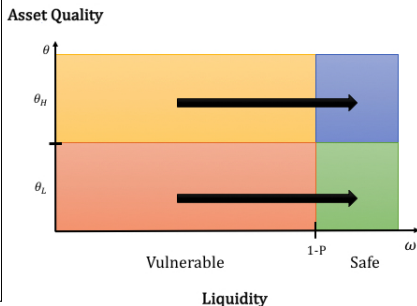


Probability of Passing

Figure : Optimal Emergency Lending Program

Emergency Lending Mechanism: Screening and Persuasion

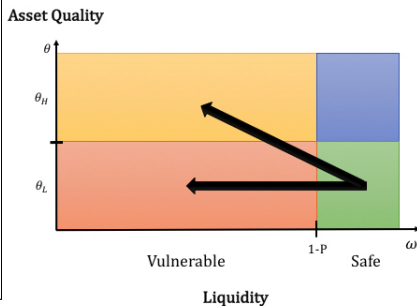
- To avoid $\{\omega < 1 - P\}$ mimic: PM fails safe banks with large probability
- Average liquidity passing banks deteriorates
- *Most illiquid banks passed with low probability.*



Emergency Lending Mechanism: Screening and Persuasion

Moreover,

- To avoid $\{(\theta_L, \omega > 1 - P)\}$ mimic $\{\omega < 1 - P\}$: *PM cannot pledge more than $\frac{1}{R}\mathbb{E}_L(y - s)$.*
- Best Resolution Program sets $P = 0$.



Optimal ELM- Observable Asset Quality Type

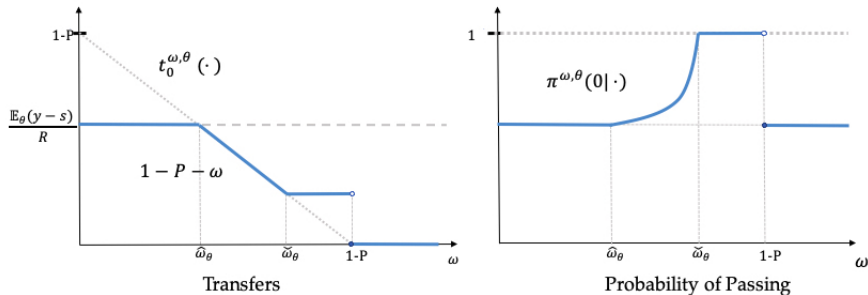


Figure : Emergency Lending Program with Observable Quality

Government & Private Sector - Substitutes

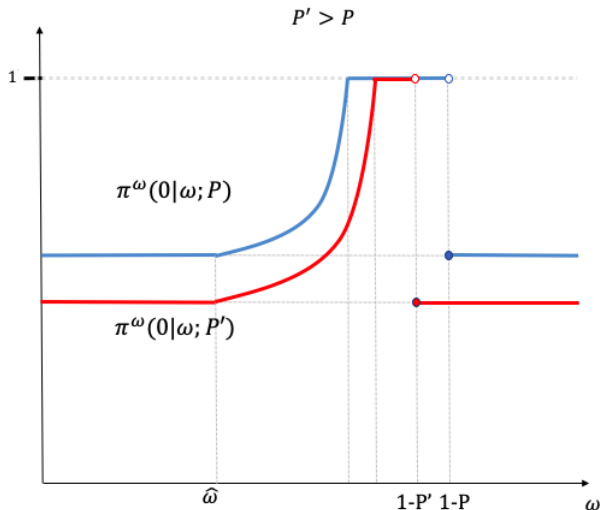


Figure : Probability of passing $\pi^{\omega, \theta}(\text{pass} | \cdot)$

Model-Payoffs

- Bank:

$$u^B(\omega, \mathcal{R}, s, P, A, y) = \left(P + \frac{y - s(y)}{R} \right) 1_{\{P + \omega \geq A\}} 1_{\{P \geq \mathcal{R}\}}$$

- Investors

$$u^I(s, P, A, y; \mu) = \frac{s(y)}{R} 1_{\{\omega + P \geq A\}} - P$$

- Short-term creditors:

- ▶ Withdraw early: 0
- ▶ Rollover:

$$u_{\text{Rollover}}(\omega, P, A) = \begin{cases} g > 0, & \omega + P \geq A \\ b < 0, & \omega + P < A \end{cases}$$

- Policy-maker

$$u^P(\omega, P, A) = \underbrace{W_0(A)}_{\downarrow A} \times 1_{\{\omega + P > A\}}.$$

- Constraints:
 - ▶ PM cannot force bank to accept deal (Individual Rationality).
 - ▶ PM cannot pay more than **faire-price** of securities (Budget Balance)
 - ▶ Bank willingly discloses its private information (Incentive Compatibility)

Theorem 1

Optimal Comprehensive Policy $\Psi = (\Gamma^y, R, \Upsilon^\omega)$ follows *partitional structure* and features *non-monotone pecking order*:

- (1) If $y \geq y^+$: single pass grade, m_{pass}^y , with $\mathbb{E}(y|m_{pass}^y) \geq K$, and $R(m_{pass}^y) = K$ [*Private Sector Funding*].
- (2) If $y^- < y < y^+$, multiple failing grades + liquidity provision, $P = 0$ [*Liquidity Provision Program*].
- (3) If $y \leq y^-$: Multiple failing grades, and bank sells whole asset

- Fed's Approach
 - ▶ Disclosures: Stress Tests (DFAST + CCAR) → Report + 3 grades
 - ▶ Recapitalizations: Public Recommendations

- ECB's Approach:
 - ▶ Disclosures: Asset Quality Review (ECB+ESRB)+ Stress Tests (EBA)→ Report + No grades
 - ▶ Recapitalizations: Private Recommendations (SREP)