The Making Of A Great Contraction With A Liquidity Trap And A Jobless Recovery

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A **jobless recovery** is a situation in which:

• Output growth recovers,

• but employment does not.

Bernanke (2009).

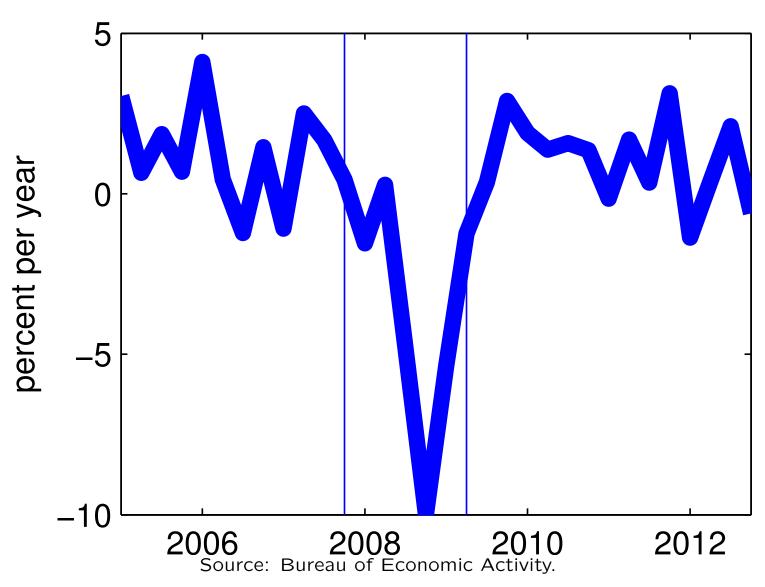
A **liquidity trap** is a situation in which:

- The nominal interest rate is zero; and
- Expected inflation is below target.

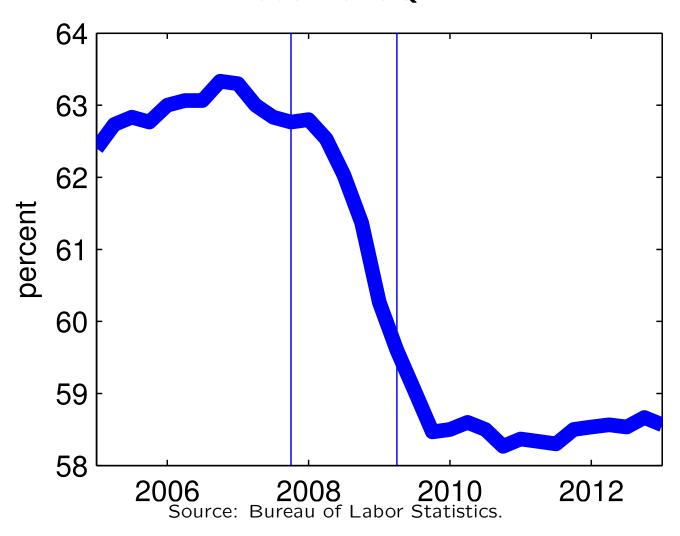
Two historical examples of great contractions with a liquidity trap and a jobless recovery:

- Great Contraction of 2008 in the United States.
- Double Dip Recession of Japan in the 1990s.

U.S. Real Per Capita GDP Growth: 2005-2012

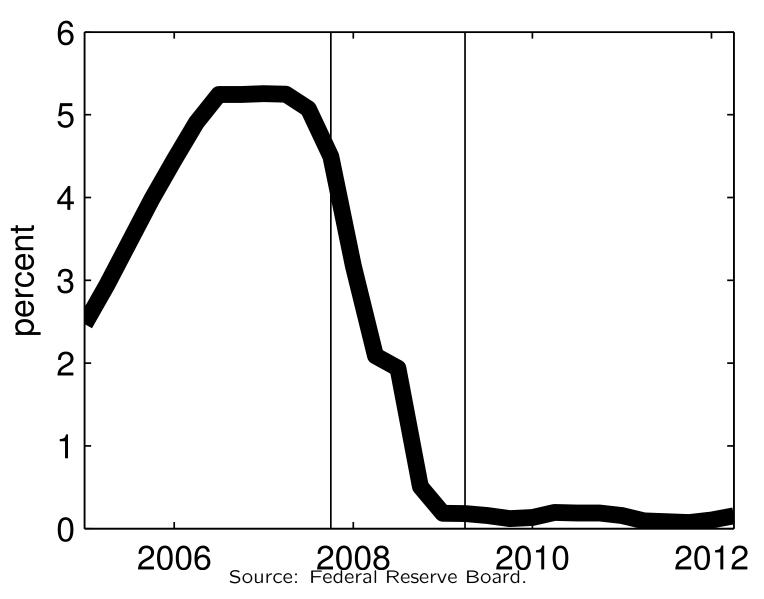


U.S. Civilian Employment-Population Ratio: 2005-2013Q1

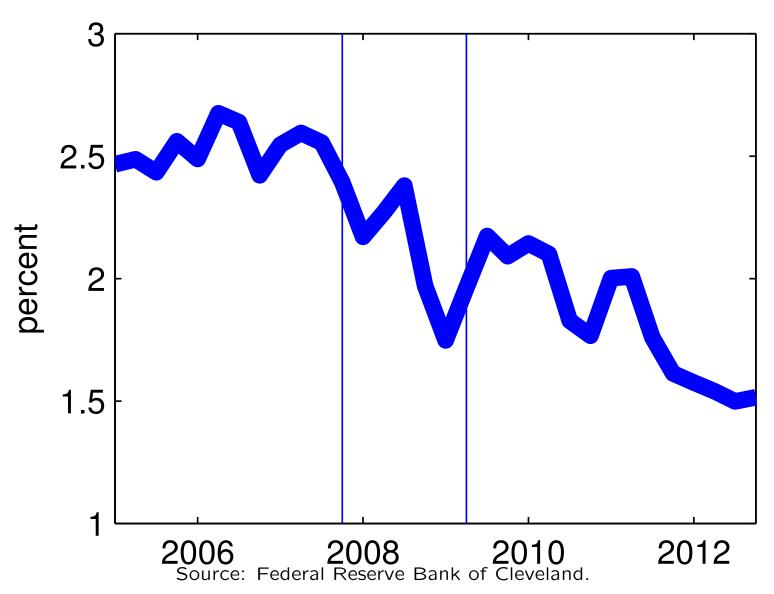


 \Rightarrow The U.S. recovery from the Great Contraction of 2008 was **jobless**.

U.S. Federal Funds Rate: 2005-2012



U.S. 10-Year Expected Inflation: 2005Q1-2012Q4

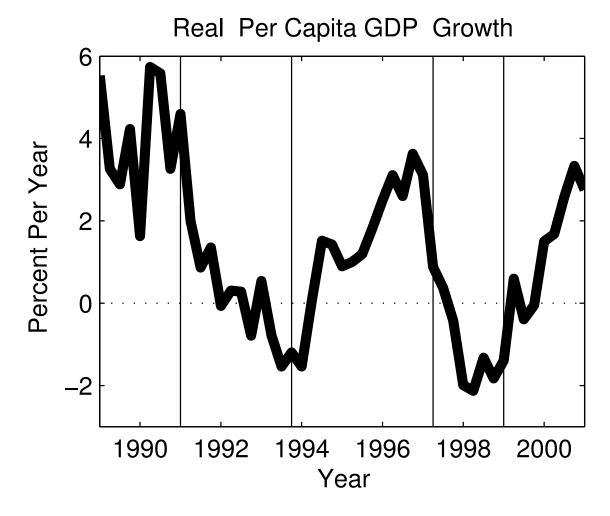


 \Rightarrow The Great Contraction of 2008 pushed the U.S. economy into a **liquidity trap**.

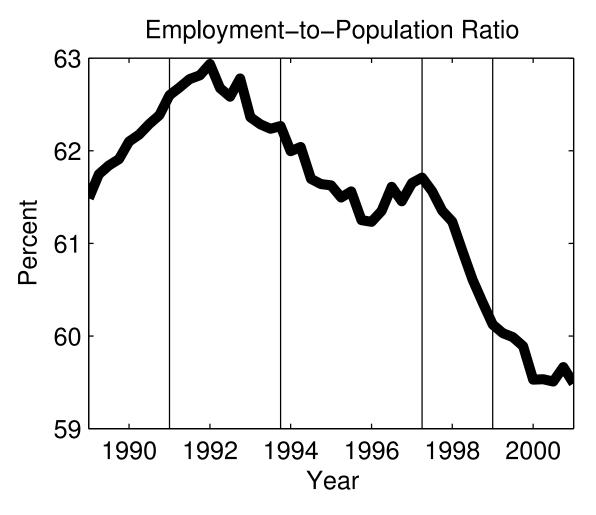
Japan

The Double-Dip Recession 1989 - 2001

Real Per Capita GDP Growth 4qtr, Japan, 1989-2001



Japan, 1989-2001

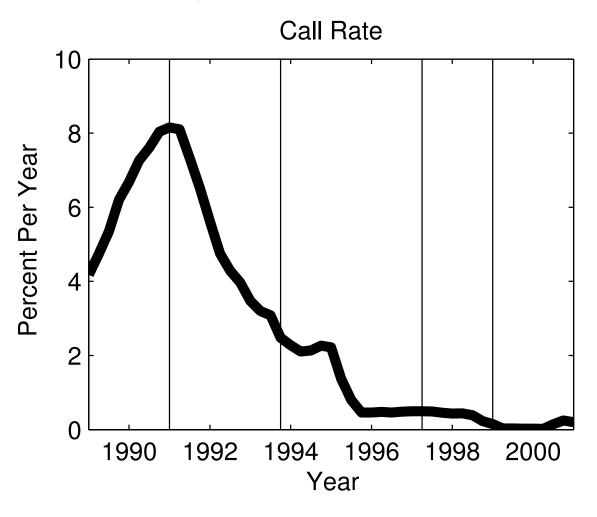


Japan, 1989-2001

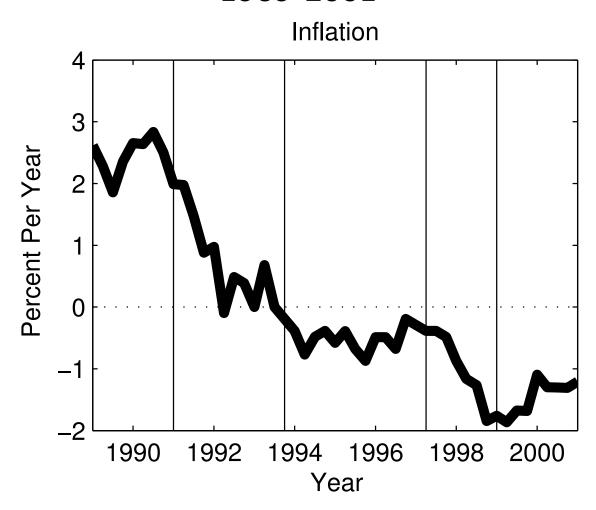


 \Rightarrow The recovery from the recessions of the 1990s in Japan was **jobless**.

Japan, 1989-2001



Year over Year Growth of GDP Deflator, Japan, 1989-2001



 \Rightarrow In the 1990s Japan fell into a **liquidity trap**.

This paper develops a theoretical model that predicts that a confidence shock can lead the economy into a liquidity trap with a jobless recovery.

Four Key Elements of the Argument:

- 1. Downward Nominal Wage Rigidity.
- 2. Monetary Policy follows a Taylor Rule.
- 3. The Zero Lower Bound On Nominal Interest Rates.
- 4. A Downward Revision in Inflation Expectations.

Related Papers on Liquidity Traps:

Krugman, 1998;

Eggertson and Woodford, 2003;

Benhabib, Schmitt-Grohé, and Uribe, 2001;

Related Papers on Jobless Recoveries:

Shimer (2012);

Calvo, Coricelli, and Ottonello (2012);

Related Papers on Interpreting the Great Recession as a Self-fulfilling Crisis:

Aruoba and Schorfheide, 2012;

Mertens and Ravn, 2012;

Element 1: Downward Nominal Wage Rigidity.

$$W_t \geq \gamma(u_t) W_{t-1}$$

where

- ullet W_t nominal wage rate
- ullet u_t , unemployment rate

Assumption: $\gamma'(u) < 0$

Empirical Evidence on Downward Nominal Wage Rigidity

Probability of Decline, Increase, or No Change in Nominal Wages Between Interviews

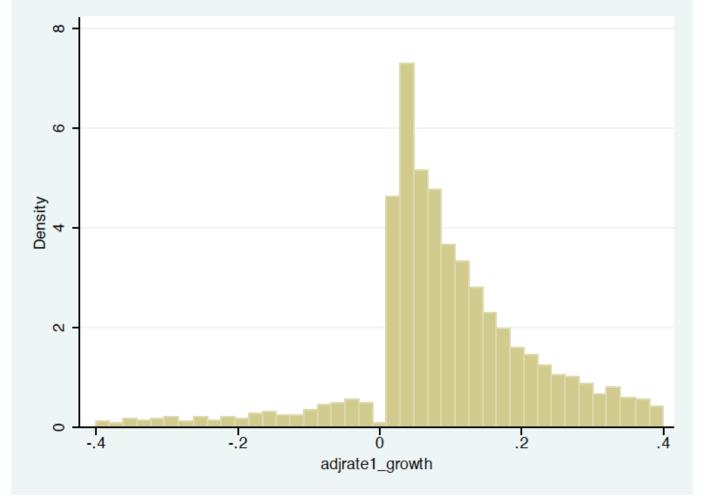
U.S. data, SIPP panel 1986-1993, within-job changes

	Interviews	One Year apart
	Males	Females
Decline	5.1%	4.3%
Constant	53.7%	49.2%
Increase	41.2%	46.5%

Source: Gottschalk (2005)

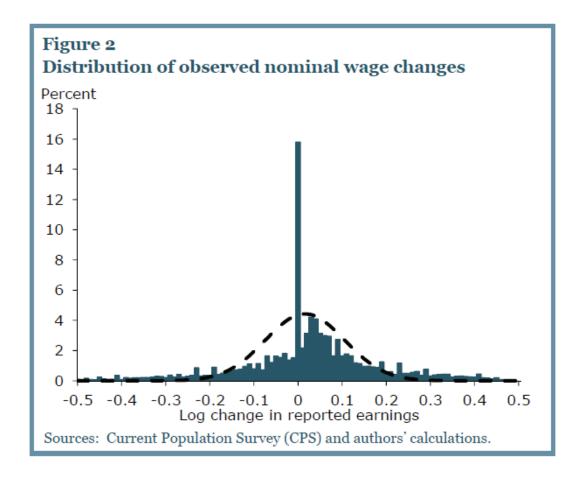
Note. Male and female hourly workers not in school, 18 to 55 at some point during the panel. All nominal-wage changes are within-job wage changes, defined as changes while working for the same employer.

Distribution of Non-Zero Wage Changes, Hourly Workers, 1996 I



Quarterly, 1996-99. Source: Barattieri, Basu, and Gottschalk (2010)

Distribution of Nominal Wage Changes, 2011, USA

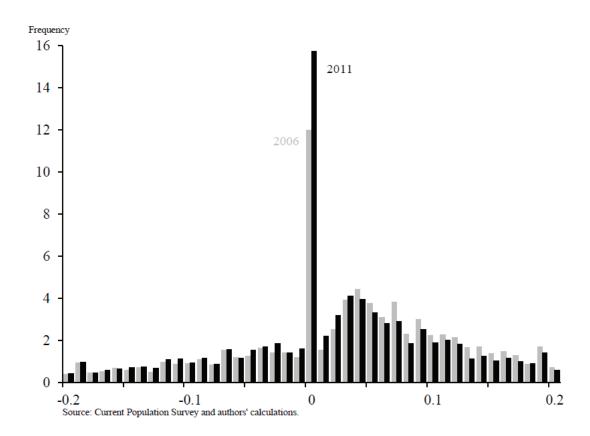


Source: Daly et al. (2012). Workers in the same job.

Distribution of 12-month log nominal wage changes in 2006 and 2011

Source: Daly and Hobijn, June 2013.

Figure 1. Distribution of 12-month log wage changes in 2006 and 2011.



Elements 2 and 3

- Monetary Policy Follows a Taylor Rule.
- The Zero Lower Bound on Nominal Interest Rates.

$$R_t = \max\left\{1, R^* + \alpha_\pi \left(\pi_t - \pi^*\right) + \alpha_y \ln\left(\frac{Y_t}{Y_t^*}\right)\right\}$$

$$\alpha_{\pi} > 1, \quad \alpha_{y} > 0$$

Households

Preferences:

$$E_0 \sum_{t=0}^{\infty} e^{\xi_t} \beta^t U(C_t)$$

Budget constraint:

$$P_tC_t + B_t + T_t = W_th_t + R_{t-1}B_{t-1} + \Phi_t$$

Inelastic Labor Supply:

$$h_t \leq \overline{h}$$

Firms

Production function:

$$Y_t = X_t F(h_t);$$
 with $X_t / X_{t-1} = \mu > 1$

Labor demand:

$$P_t X_t F'(h_t) = W_t$$

The Labor Market

$$h_t \leq \overline{h}$$

$$W_t \geq \gamma(u_t)W_{t-1}$$

$$(\bar{h} - h_t) (W_t - \gamma(u_t)W_{t-1}) = 0$$

Equilibrium: Let
$$w_t \equiv \frac{W_t}{P_t X_t}$$
 and $c_t \equiv C_t / X_t$

$$e^{\xi_t}U'(c_t) = \tilde{\beta}R_t E_t \left[\frac{e^{\xi_{t+1}}U'(c_{t+1})}{\pi_{t+1}} \right]$$

$$R_t = \max \left\{ 1, \frac{\pi^*}{\tilde{\beta}} + \alpha_{\pi} \left(\pi_t - \pi^* \right) + \alpha_y \ln \left(\frac{F(h_t)}{F(\bar{h})} \right) \right\}$$

$$c_t = F(h_t)$$

$$w_t = F'(h_t)$$

$$h_t \leq \overline{h}$$
 and $w_t \geq \frac{\gamma(u_t)}{\pi_t \mu} w_{t-1}$; where $u_t \equiv \frac{\overline{h} - h_t}{\overline{h}}$

$$(\overline{h} - h_t) \left(w_t - \frac{\gamma(u_t)}{\pi_t \mu} w_{t-1} \right) = 0$$

A Key Inflation Threshold

$$ar{\pi} \equiv rac{\gamma(0)}{\mu}$$

 $\pi_t < \bar{\pi} \Rightarrow \text{involuntary unemployment.}$

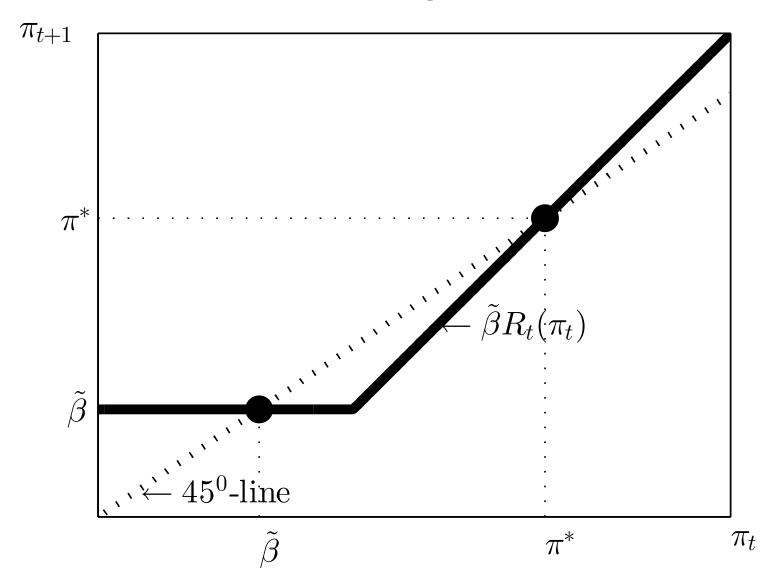
Steady State Equilibria:

$$c_t = c$$
, $h_t = h$, $w_t = w$, $\pi_t = \pi$, $R_t = R$

$$R = \frac{\pi}{\overline{\beta}}$$

$$R = \max\left\{1, R^* + \alpha_\pi \left(\pi - \pi^*\right) + \alpha_y \ln\left(\frac{F(h)}{F(\overline{h})}\right)\right\}$$

Two Steady States



Multiple Steady States

Proposition 1 (Existence of a Full-Employment Steady State)

There exists a unique full-employment steady state (u=0). Moreover, at the full-employment steady state the inflation rate equals the inflation target π^* .

Proposition 2 (Existence of an Unemployment Steady State)

There exists a unique unemployment steady state $(u = \bar{u} > 0)$. Moreover, at the unemployment steady state the economy is in a liquidity trap $(R = 1 \text{ and } \pi = \tilde{\beta} < \pi^*)$.

Element 4: A Downward Revision in Inflation Expectations (or confidence shock)

$$\pi_0 < \pi^*$$

Proposition 3 (Liquidity Trap) Suppose that $\xi_t = 0$ and deterministic for $t \geq 0$. Further, assume that $\pi_0 < \pi^*$. Then, in any perfect foresight equilibrium,

$$\pi_{t+1} \begin{cases} <\pi_t < \pi^* & \text{if } \pi_t \geq \frac{\gamma(0)}{\mu} \\ <\frac{\gamma(0)}{\mu} < \pi^* & \text{if } \pi_t < \frac{\gamma(0)}{\mu} \end{cases}, \quad \text{for all } t \geq 0.$$

Furthermore, there exists a finite integer $T \geq 0$ such that $\pi_T < \frac{\gamma(0)}{\mu}$.

Proposition 4 (Chronic Involuntary Unemployment) Suppose that $\xi_t = 0$ and deterministic for $t \geq 0$. Further, assume that $\pi_0 < \pi^*$. Then, in any perfect foresight equilibrium $u_t > 0$ for all $t \geq T$, where $T \geq 0$ is the finite integer defined in proposition 3.

Calibrated Example:

$$F(h) = h^{\alpha}$$
; with $\alpha = 0.75$

$$u(c) = c^{1-\sigma}/(1-\sigma)$$
; with $\sigma = 2$

$$X_t = 1.015^{1/4} X_{t-1};$$

 $\tilde{\beta} = 1.04^{-1/4}$; real rate of 4 percent

 $\pi^* = 1.02^{1/4}$; inflation target of 2 percent

$$\alpha_{\pi} = 1.5$$

$$\alpha_y = 0.125$$

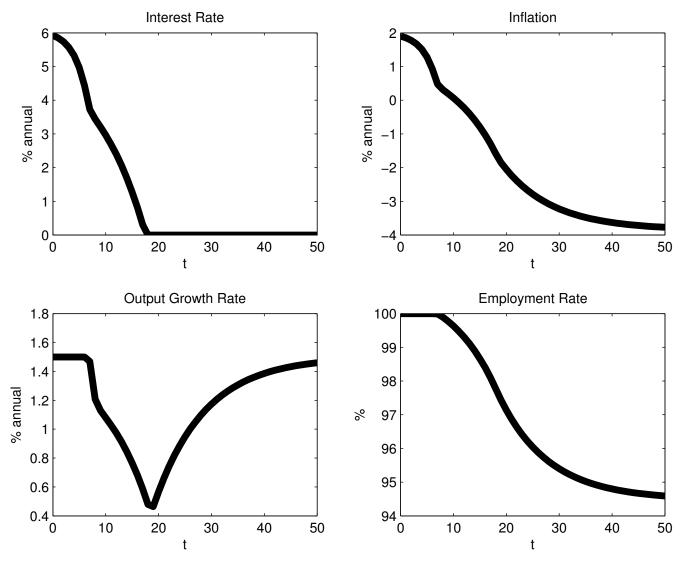
$$\gamma(u_t) = \gamma_1 \cdot (1 - u_t)^{\gamma_2}; \ \gamma_1 = 1.02^{1/4}; \ \gamma_2 = 0.19.$$

Calibration of the Degree of Downward Wage Rigidity, $\gamma(u) = \gamma_1 (1-u)^{\gamma_2}$

- Set $\gamma_1 = \pi^* \Rightarrow$ At the full-employment steady state, nominal wages must grow at a rate larger than inflation, or 2%. Weak restriction: due to productivity growth, lower bound on nominal wages does not bind in the intended steady state.
- \bullet Set γ_2 so that if unemployment is 5 percent above the natural rate, then wages can fall frictionlessly by up to 2 percent per year.

This is a conservative criterion: Between 2008 and 2010, US unemployment increased from 5 to 10 percent, but nominal hourly wages did not fall. They actually **grew** by 3 percent per year.

Dynamics Under Lack of Confidence Shock



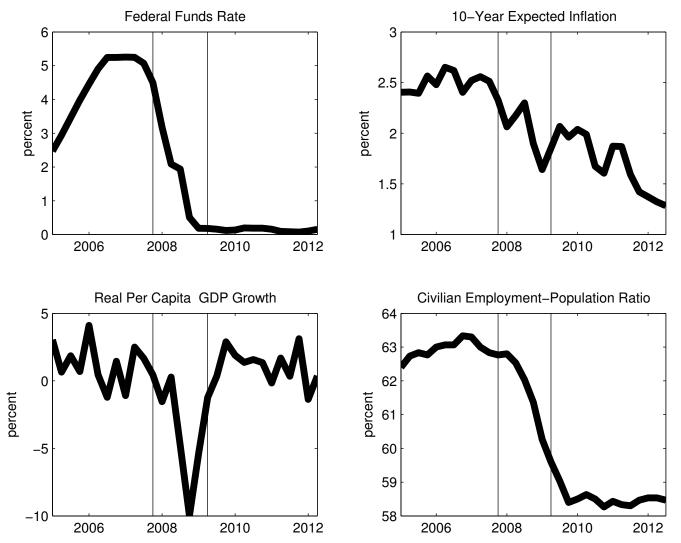
⇒ A Lack of Confidence Shocks Leads to

• A Great Contraction

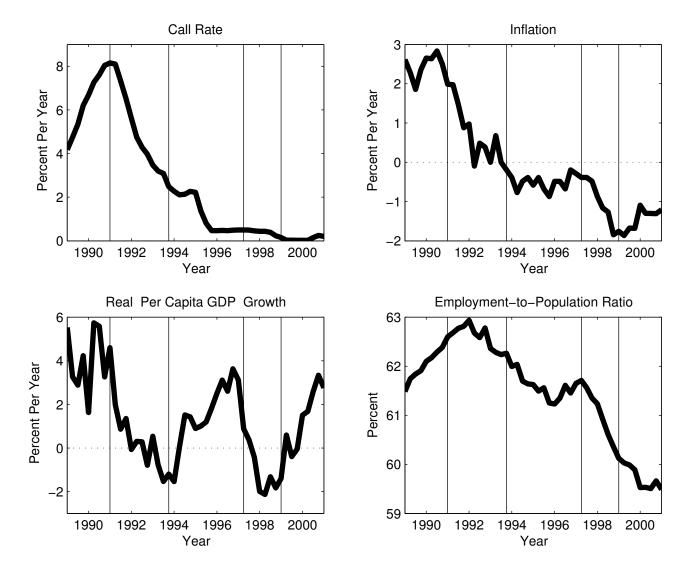
• A Liquidity Trap

A Jobless Recovery

The U.S. Great Contraction of 2008



The Japanese Slump of the 1990s



Alternative Hypothesis:

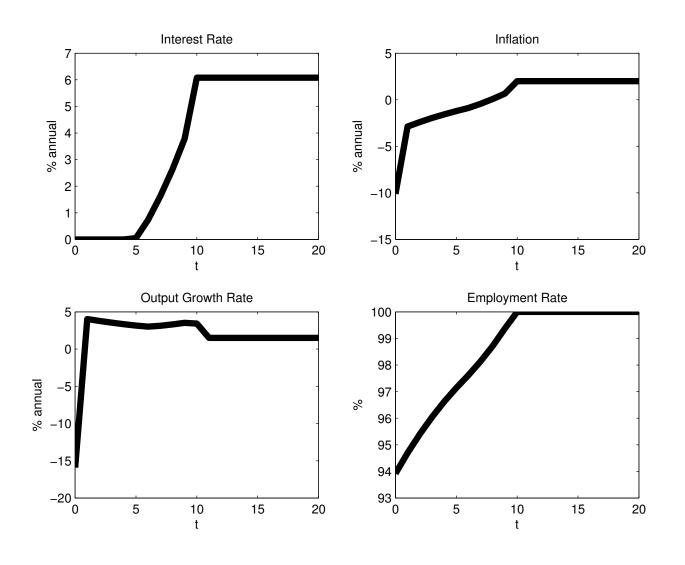
What if **inflationary expectations are well anchored** (i.e., loss of confidence shocks are ruled out by assumption)?

Specifically, consider the response to a decline in the natural rate of interest (following Eggertson and Woodford, 2003)

Natural Rate of Interest =
$$\tilde{\beta}^{-1}e^{\xi_t-\xi_{t+1}}$$

Exercise: Assume that the natural rate falls from its steady-state value of 4 percent per year to -2 percent per year for 10 quarters and then returns to 4 percent forever.

A Contraction With A Job-Creating Recovery: Response to a Persistent Decline In The Natural Rate



 A negative natural rate shock leads to unemployment and a liquidity trap

• However, the recovery features **job creation**.

 \Rightarrow If inflationary expectations are well anchored, a persistent drop in the natural rate of interest <u>cannot</u> explain the observed jobless recovery.

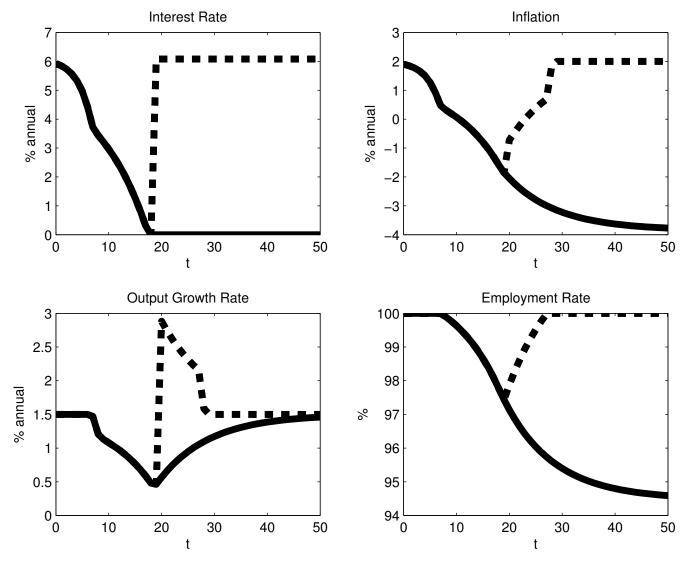
Exiting The Slump with <u>Truly</u> Unconventional Monetary Policy

Interest rate policy:

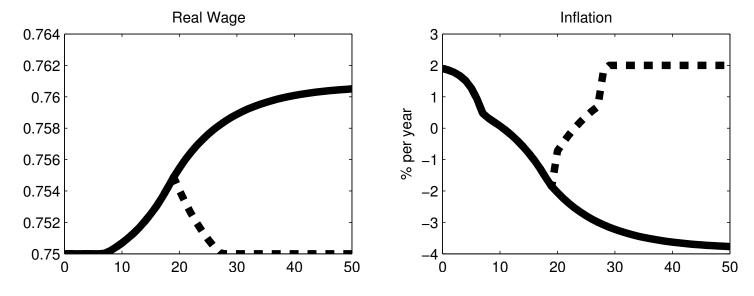
$$R_t = \left\{ \begin{array}{ll} \max\left\{1, \frac{\pi^*}{\tilde{\beta}} + \alpha_\pi \left(\pi_t - \pi^*\right) + \alpha_y \ln\left(\frac{F(h_t)}{F(\tilde{h})}\right) \right\} & \text{if } s_t = 0 \\ R^* & \text{if } s_t = 1 \end{array} \right..$$

$$s_t = \begin{cases} 1 & \text{if } R_j = 1 \text{ for any } 0 \le j < t \\ 0 & \text{otherwise} \end{cases}.$$

Exiting the Slump with Truly Unconventional Policy



Response of Real Wages, $W_t/(P_tX_t)$, and Inflation to a Nonfundamental Shock Under the Exit Strategy



Solid Line: Taylor Rule Dashed Line: Exit Strategy

Conclusions

- Great contraction of 2008 is characterized by a jobless recovery and a liquidity trap.
- When inflationary expectations are well anchored, standard model cannot explain jobless recoveries and a prolonged liquidity trap.
- U.S. could be suffering from a negative shock to inflation expectations.
- If so, conventional monetary policy, such as promising extended periods of low rates, is powerless.
- Instead, truly unconventional monetary policy, i.e., raising nominal rates, is needed to jolt the economy out of the slump.

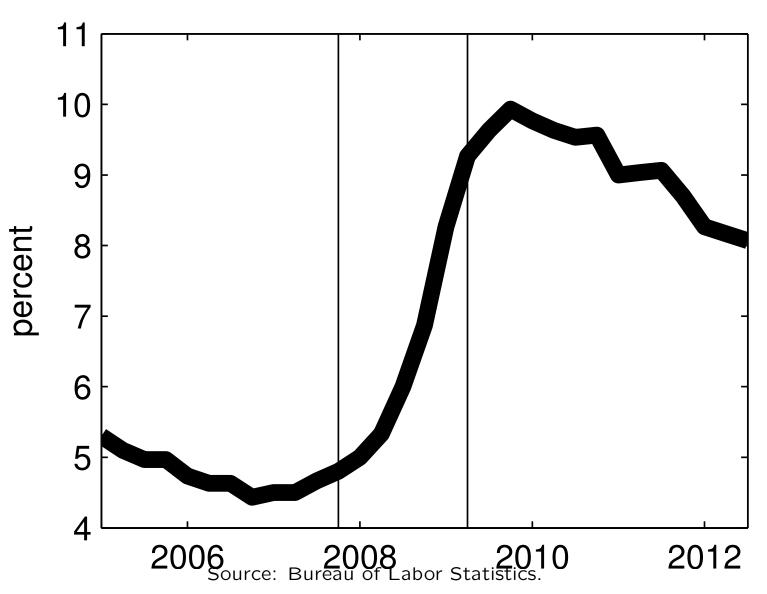
Extras

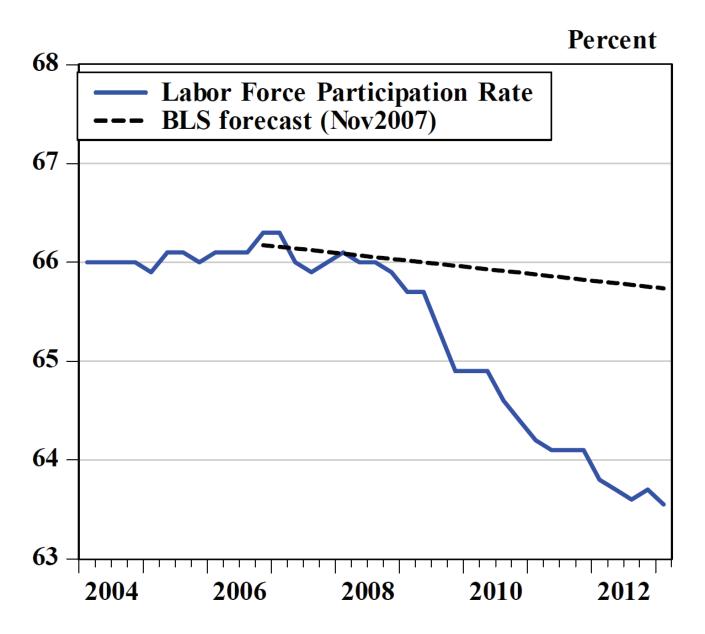
Bernanke's Definition of a Jobless Recovery:

"Given this weakness in the labor market, a natural question is whether we might be in for a so-called jobless recovery, in which output is growing but employment fails to increase."

Speech given by Chairman Ben S. Bernanke at the Economic Club of New York in New York on November 16, 2009.

U.S. Unemployment Rate: 2005-2012





Source: Erceg and Levin (2013)

Table 1: Demographic Factors and the Recent Evolution of the LFPR

	Population Share			Labor Force Participation Rate		
Demographic	2007	Change (2007 to 2012)		2007	Change (2007 to 2012)	
Group	Actual	Projection	Actual	Actual	Projection	Actual
16 to 24 yrs	16.1	-0.9	-0.2	59.4	-0.9	-4.5
25 to 54 yrs	54.2	-2.0	-3.1	83.0	0.3	-1.5
55 to 64 yrs	14.0	1.3	1.8	64.0	1.5	0.5
65 and older	15.6	1.7	1.6	15.4	2.6	3.1
Total	100	0	0	66.1	-0.3	-2.4

Note: The columns labelled "Projection" refer to the BLS labor force projections published in November 2007.

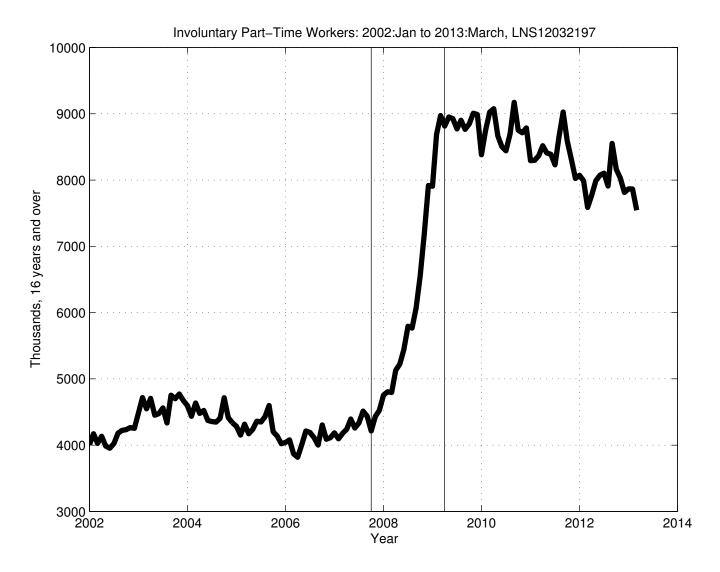
Source: Erceg and Levin (2013)

NYTimes, April 19, 2013

"It was a relief just to find something," said Amie Crawford, 56, of Chicago. After four months looking for a new job as an interior designer, which she had been for 30 years before the recession, she accepted a position as a part-time cashier at a quick-service health-food cafe called Protein Bar.

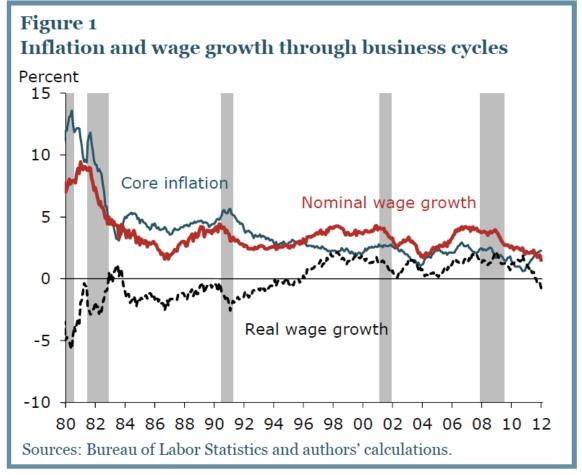
She keeps asking for more hours, but her manager's response is always the same.

"He tells me, 'I try to give you as many hours as I can, but everybody wants as many hours as they can,' " Ms. Crawford said.



Data Source: Bureau of Labor Statistics.

Real Wage Growth Held up Relatively Well During the 2008 Recession



Source: Daly et al. April 2012.

Real Wage Growth relative to TFP Growth between 2008 and 2011 in the United States

Fernald, FRBSF Productivity Data Base: Average Annual TFP Growth from 2008 to 2011 was 0.65 percent

Daly et al. report that real wages grews by 1.1 percent per year on average between 2008 and 2011.

Hence real wage growth exceeded TFP growth by 0.45 percent per year, for a total of 1.35 percent over the period 2008-2011.

Assumption 1 The function $\gamma(u_t)$ satisfies

$$\gamma'(u_t)<0,$$

and

$$\gamma(0) > \tilde{\beta}\mu,$$

where $\tilde{\beta} \equiv \beta \mu^{-\sigma}$.

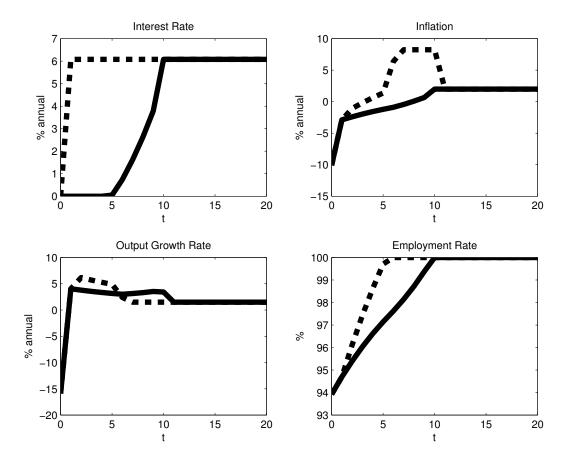
Assumption 2 The parameters R^* , π^* , and α_{π} satisfy:

$$R^* \equiv \frac{\pi^*}{\tilde{\beta}} > 1,$$

$$\alpha_{\pi}\tilde{\beta} > 1$$
,

$$\pi^* > \frac{\gamma(0)}{\mu}.$$

Dynamics Effects of a Fundamental Shock Under the Exit Strategy



Solid Line: Taylor Rule Dashed Line: Exit Strategy